

**Prof. Dr. Klaus Ambos-Spies**

Institute of Computer Science  
University of Heidelberg  
Phone: ++49-(0)6221-54 8203  
Fax: ++49-(0)6221-54 4465  
Email: [ambos@math.uni-heidelberg.de](mailto:ambos@math.uni-heidelberg.de)  
URL: <http://www.math.uni-heidelberg.de/logic/>



---

**Date and place of birth**    November 4, 1951, Mannheim, German citizen  
**Current position**            Chair of Math. Logic and Theor. Comput. Sci.

**SCIENTIFIC VITA**

- 1991-present    Professor (C4), Faculty of Mathematics and Computer Science, Univ. of Heidelberg
- 1988-1991      Associate Professor (C3), Faculty of Mathematics, Univ. of Heidelberg
- 1987-1988      Associate Professor (C3), Department of Computer Science, Univ. of Oldenburg
- 1985-1987      Assistant Professor (C2), Department of Computer Science, Univ. of Dortmund
- 1985            Habilitation (venia legendi) in Computer Science
- 1981-1985      Research Assistant, Department of Computer Science, Univ. of Dortmund
- 1981            Ph.D. in Mathematics, Univ. of Munich
- 1980-1981      Teaching Assistant at Cornell University, Ithaca, USA
- 1979-1980      Participation in the "Logic Year" at the University of Connecticut, Storrs, USA
- 1978-1980      Ph.D. Scholarship (Studienstiftung des Deutschen Volkes)
- 1970-1977      Study of Mathematics, Diploma, Univ. of Karlsruhe and Univ. of Munich

**RESEARCH INTERESTS**

The research of the group in Mathematical Logic and Theoretical Computer Science at the Institute of Computer Science of Heidelberg University is devoted to computational aspects of the foundations of mathematics and computer science. It covers various areas of computability theory, computational complexity theory and automata theory. Central topics are questions related to the power and limitations of algorithmic methods. Major research topics since 2000 include the theory of algorithmic randomness, algorithmic learning theory, applications of measure theory and topology to computational complexity and automata theory, structural complexity, and the analysis of properties of computably enumerable problems and their relative complexity.

## SELECTED PUBLICATIONS

1. K. Ambos-Spies: *Resource-bounded genericity*, in Computability, enumerability, unsolvability, 1–59, London Math. Soc. Lecture Note Ser., 224, Cambridge Univ. Press, Cambridge, 1996.
2. K. Ambos-Spies and E. Mayordomo: *Resource-bounded measure and randomness*, in Complexity, logic, and recursion theory, 1–47, Lecture Notes in Pure and Appl. Math., 187, Dekker, New York, 1997.
3. K. Ambos-Spies: *Polynomial time reducibilities and degrees*, in Handbook of Computability Theory, pp. 683–705, Stud. Logic Found. Math., 140, North-Holland, Amsterdam, 1999.
4. K. Ambos-Spies, D. Hirschfeldt, and R. A. Shore: *Undecidability and 1-types in intervals of the computably enumerable degrees*, Ann. Pure Appl. Logic 106, 1–47 (2000).
5. K. Ambos-Spies and A. Kucera: *Randomness in computability theory*, in Computability theory and its applications (Boulder, CO, 1999), 1–14, Contemp. Math., 257, Amer. Math. Soc., Providence, RI, 2000.
6. K. Ambos-Spies and P. Fejer: *Embeddings of  $N_5$  and the contiguous degrees*, Ann. Pure Appl. Logic 112, 151–188 (2001).
7. K. Ambos-Spies, B. Kjos-Hanssen, S. Lempp, and T. A. Slaman: *Comparing DNR and WWKL*, J. Symbolic Logic 69, 1089–1104 (2004).
8. K. Ambos-Spies, S. Lempp, and T. A. Slaman: *Generating sets for the recursively enumerable Turing degrees*, Computational prospects of infinity. Part II. Presented talks, 1–22, Lect. Notes Ser. Inst. Math. Sci. Natl. Univ. Singap., 15, World Sci. Publ., Hackensack, NJ, 2008.
9. K. Ambos-Spies, D. Ding, W. Wang, and L. Yu: *Bounding non- $GL_2$  and R.E.A.*, J. Symbolic Logic 74, 989–1000 (2009).
10. K. Ambos-Spies, S. Badaev, S. Goncharov: *Inductive inference and computable numberings*, Theoret. Comput. Sci. (to appear).
11. K. Ambos-Spies and T. Bakibayev: *Weak completeness notions for exponential time*, ICALP 2010, Part I, 503–514, Lecture Notes in Comput. Sci., 6198, Springer, Berlin, 2010.
12. K. Ambos-Spies: *On the strongly bounded Turing degrees of the computably enumerable sets*, to appear.